## HARMONIC AND SPECTRAL ANALYSIS

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## Spectrality of polytopes and equidecomposability by translations

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(joint work with BOCHEN LIU)

Fuglede conjectured that a domain  $A \subset \mathbb{R}^d$  is spectral (that is, A admits an orthogonal basis of exponential functions) if and only if one can tile the space by translated copies of A. Matolcsi and the speaker recently proved this conjecture for convex domains, but for non-convex ones the conjecture was disproved by Tao. However I will present a result joint with Bochen Liu, which implies that if a non-convex polytope  $A \subset \mathbb{R}^d$  is spectral then A can be dissected into a finite number of smaller polytopes, which can be rearranged using translations to form a cube.